

Studying Social Inequality with Data Science

INFO 3370 / 5371
Spring 2023

**Interventions to Promote Equality:
Causal inference**

Learning goals for today

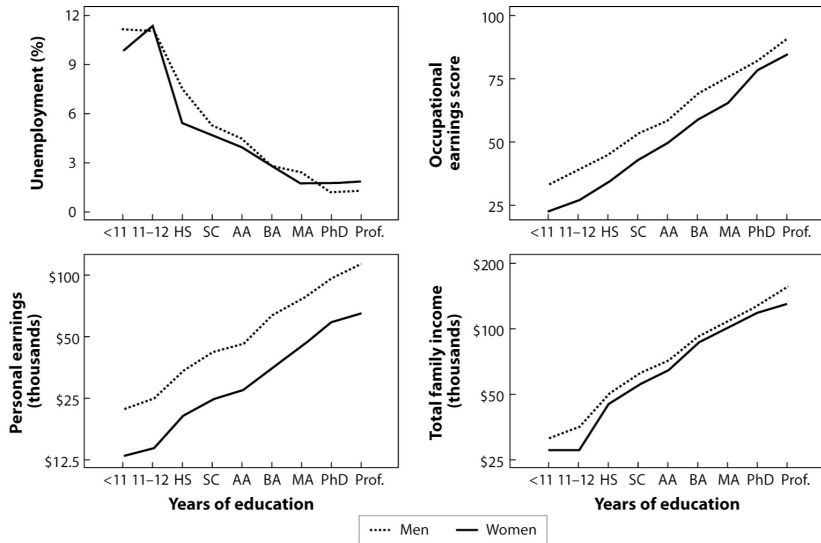
By the end of class, you will be able to

- ▶ define causal effects using potential outcomes
- ▶ understand the fundamental problem of causal inference

Class module: Interventions to promote equality

- ▶ don't just study the world
- ▶ learn how we might change it

Education: A tool to promote opportunity



Two claims

People with
college degrees
earn more

A college degree
causes
higher earnings

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What policies would each claim support?

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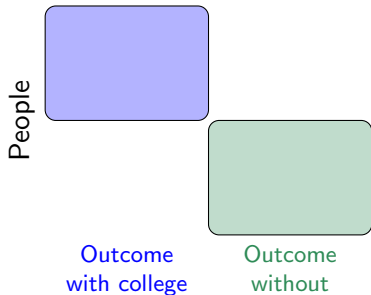
Two sets of people
Two treatments

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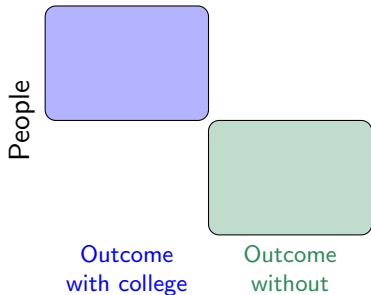
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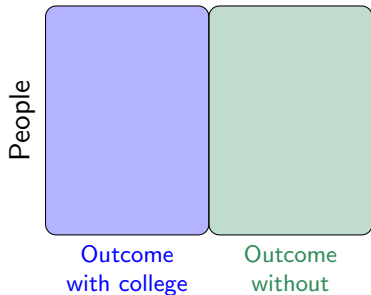
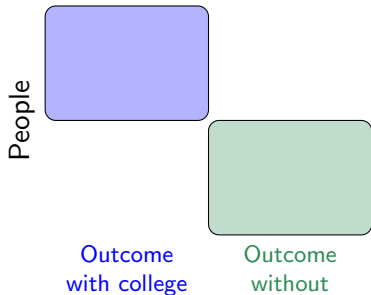
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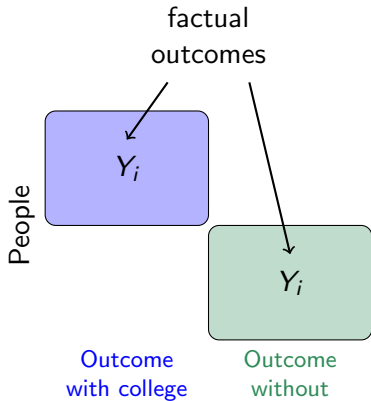
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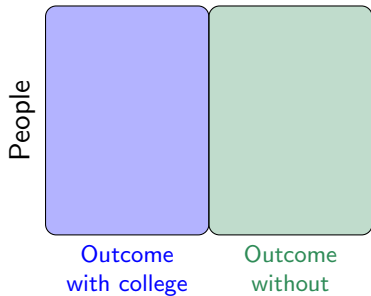
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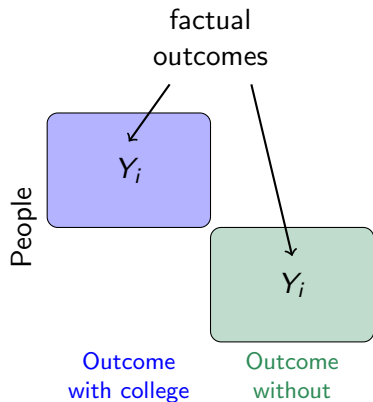


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Two treatments

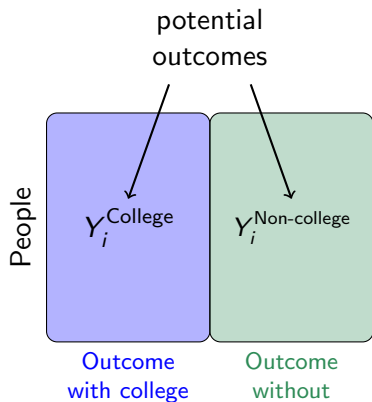


Two claims

People with college degrees earn more

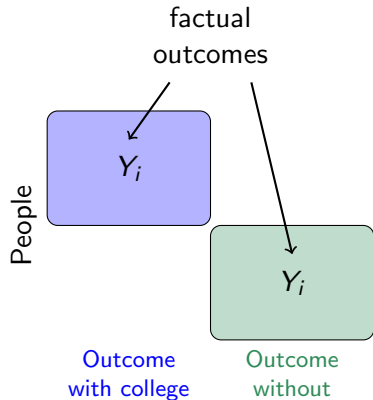


A college degree causes higher earnings

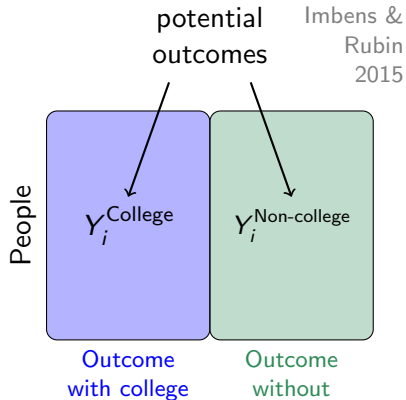


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Translate causal statements to potential outcomes

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- 1) Sarah would have been hired if she had submitted her application on time

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- 2) David would have been hired even if he hadn't had a college degree
- 3) The hiring manager discriminatorily chose Emily over Lakisha because of their names
- 4) Juan never even applied because he has a newborn infant

Translate causal statements to potential outcomes

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|--|---|
| 1) Sarah would have been hired if she had submitted her application on time | $Y_{\text{Sarah}}^{\text{On time}} = 1$ |
| | $Y_{\text{Sarah}}^{\text{Late}} = 0$ |
| 2) David would have been hired even if he hadn't had a college degree | $Y_{\text{David}}^{\text{College}} = 1$ |
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Translate causal statements to potential outcomes

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| 1) Sarah would have been hired if she had submitted her application on time | $Y_{Sarah}^{\text{On time}} = 1$ |
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| 2) David would have been hired even if he hadn't had a college degree | $Y_{David}^{\text{College}} = 1$ |
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| 3) The hiring manager discriminatorily chose Emily over Lakisha because of their names | $Y_{Lakisha}^{\text{Named Emily}} = 1$ |
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Translate causal statements to potential outcomes

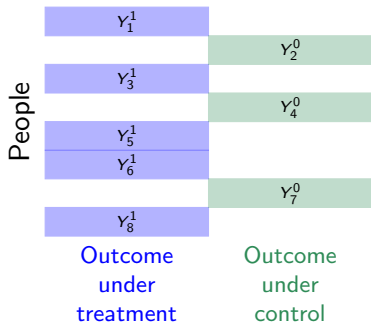
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Translate causal statements to potential outcomes

Is it possible to know if each statement is true?

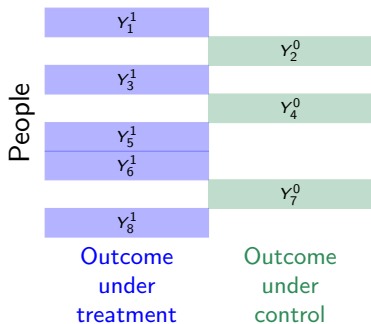
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The data



Could we ever know the effect for person 1?

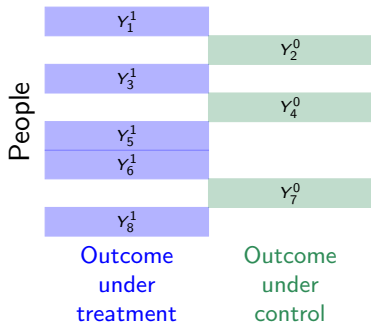
The data



Holland 1986

Could we ever know the effect for person 1?
For anyone?

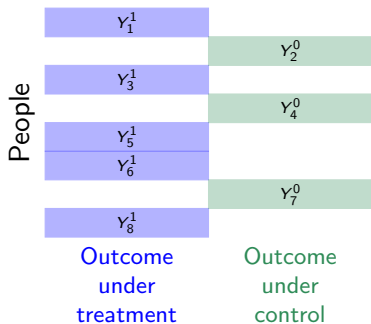
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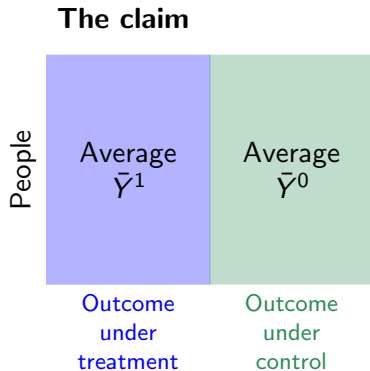
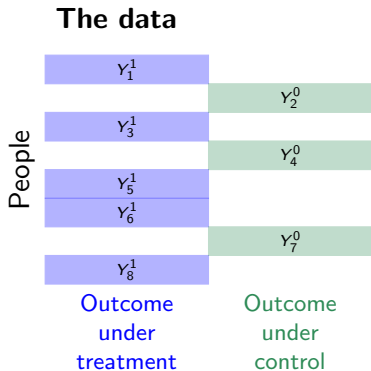
Holland 1986

Could we ever know the effect for person 1?
For anyone?
Can anything be known?

The data

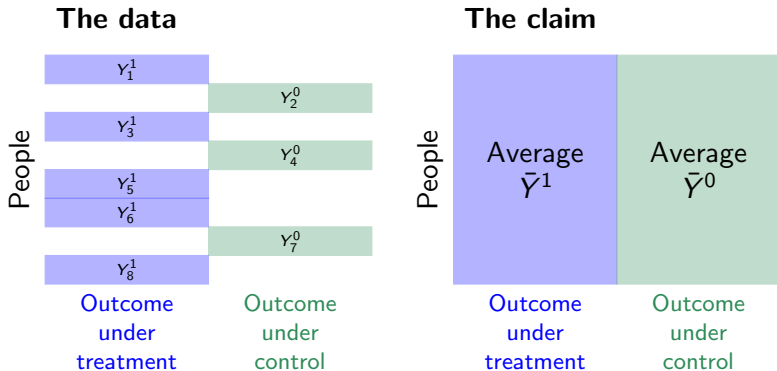


Average causal effects



Average causal effects

If treatment is randomized,
then the observed cases
in each treatment condition
are a simple random sample



Learning goals for today

By the end of class, you will be able to

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Bonus slides

For each statement, draw a table of potential outcomes.

- ▶ Who are the people being considered?
- ▶ Under what treatment conditions?
- ▶ What potential outcome is observed?

Statements

1. On average, those who attend college have higher annual earnings than what they would have earned without college
2. On average, those who did not attend college would earn more if they attended college
3. On average, the causal effect of college on earnings is higher for those whose parents did not attend college

Challenge:

Visitors to the Cornell Dairy Bar would be more impressed if they ordered Cascadilla Cookies & Cream than if they ordered French Vanilla, but they would be most impressed if they ordered Big Red Bear Tracks.